MAXIMAL NAGENDRAM Γ-SEMI SUB NEAR-FIELD SPACES OF A Γ-NEAR-FIELD SPACE OVER NEAR-FIELD

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ABSTRACT

In this paper we begin by proving the maximal Nagendram Γ -semi sub near-field spaces of a Γ -near-field space over near-field in a compact connected Nagendram Γ -semi sub near-field spaces of a Γ -near-field space over near-field.

We studied the characters of complex irreducible representation compact of Nagendram Γ -semi sub near-field spaces of a Γ -near-field space over near-field are linearly independent as elements of $C^{\infty}(N)$.

We examine the geometry of the adjoint representation to begin our proof that maximal Nagendram Γ -semi sub near-field spaces are conjugate.

Keywords: maximal Nagendram Γ -semi sub near-field space, sub representation, representation, Γ -near-field space; Γ -Semi sub near-field space of Γ -near-field space of Γ -near-field space, Nagendram Γ -semi sub near-field space, Nagendram Γ -semi near-field space, closed, compact, connected Nagendram Γ -semi sub near-field space of a Γ -near-field space over near-field.

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SECTION 1: Maximal Nagendram Γ-semi sub near-field spaces of a Γ-near-field space over near-field.

Definition 1.1: A torus is a compact, connected abelian Nagendram Γ-semi sub near-field space. A maximal torus S of a Nagendram Γ-semi sub near-field space of a Γ-near-field space over near-field such that if S' is any other torus Nagendram Γ-semi sub near-field space of a Γ-near-field space over near-field N and $S \subseteq S'$ then S = S'.

Example 1.2: Consider M = U(n)

The torus
$$S = \left\{ \begin{bmatrix} \lambda_1 & & & \\ & \lambda_2 & & \\ & & \dots & \\ & & \lambda_n \end{bmatrix} \middle| \lambda_j \middle| = 1 \right\} \cong S^n$$
 is a maximal torus. Suppose A is a matrix in U(n) that

commutes with all elements of S. But every element of S is diagonal, and matrix theory tells us that a matrix that commutes with an arbitrary diagonal matrix is itself diagonal. Therefore, $A \in S$.

Maximal Nagendram Γ -semi sub near-field spaces of a Γ -near-field space over near-field / IJMA- 10(1), Jan.-2019.

It is very much true that

- (i) that maximal Nagendram Γ -semi sub near-field space exist
- (ii) If N is compact and S_1 , S_2 are two maximal Nagendram Γ -semi sub near-field spaces, then S_1 and S_2 are conjugate Nagendram Γ -semi sub near-field spaces i.e. there exists $a \in N$ so that $aS_1a^{-1} = S_2$.
- (iii) If N is compact and connected Nagendram Γ -semi sub near-field spaces, then for any $x \in N$ there is a maximal torus S such that $x \in S$.
- (iv) If $S \le N$ is a maximal torus, N compact and connected.

Then
$$N(S) = \{ x \in N / xSx^{-1} \subseteq S \}.$$

The normalizer of S in N satisfies (a) W = N(S)/S is finite (N(S))/S (b) $S/W \cong N/N$. We have the notion of the multiplicity m_{U,W} U of an irreducible representation U in a

re presentation W. W =
$$\frac{\bigoplus m_{U,W} U}{U \in lxx(N)}$$
 where nU is the direct sum of n copies of U.

Lemma 1.3: Let N be a compact Nagendram Γ-semi sub near-field space. Then the map representations of N to characters of N, W $\mapsto \chi W$.

Proof: Suppose W. W' are two representations of N such that $\chi W = \chi W'$

Write W =
$$\frac{\bigoplus m_{U, W} U}{U \in lxx(N)}$$
, W' = $\frac{\bigoplus m_{U, W'} U}{U \in lxx(N)}$.
Then, $\chi W = \frac{\bigoplus m_{U, W} \chi U}{U \in lxx(N)} = \frac{\bigoplus m_{U, W'} \chi U}{U \in lxx(N)}$

Since, { $\chi U / U \in lxx(N)$ } is linearly dependent, $m_{U,W} = m_{U,W}$ and hence W = W'.

This completes the proof of the lemma.

Proposition 1.4: Let N be a Nagendram Γ -semi sub near-field space. $K \subseteq N$ a connected abelian Nagendram Γ -semi sub near-field space of a Γ -near-field space over near-field N. Then, the closure K of K in N is also a connected abelian Nagendram Γ -semi sub near-field space of a Γ -near-field space over near-field.

Proof: Since the closure of a connected Γ -semi sub near-field space is connected, K is connected. We have only to argue that \overline{K} is an abelian Nagendram Γ -semi sub near-field space. Suppose $f: N \times N \to N$, $f(a, b) = ab^{-1}$ is continuous and since $f(K \times K) \subseteq K$, $f(\overline{K} \times \overline{K}) = f(\overline{K \times K}) \subseteq \overline{f(K)} \subseteq \overline{K}$, we see that \overline{K} is a closed Nagendram Γ-semi sub near-field space of a Γ-near-field space over near-field N.

It remains to show that K is an abelian. For that $x, y \in K$, $xyx^{-1} = y$ which also certainly holds if $y \in K$. But then, xyx^{-1} holds well, By the same argument this relation holds for all $x, y \in \overline{K}$. This completes the proof of the proposition.

Lemma 1.5: Any compact Nagendram Γ-semi sub near-field space of a Γ-near-field space over near-field N with dim N > 0 has a torus S with $\dim S > 0$.

Proof: Pick any $X \in g$, then $\{ \exp tX \mid t \in R \} \subseteq N \text{ is a connected abelian Nagendram } \Gamma\text{-semi sub near-field space.}$ Hence its closure is a closed connected abelian Nagendram Γ-semi sub near-field space of Γ-near-field space over nearfield N. since N is compact $\{ \exp tX / t \in R \}$ is a torus. This tells us at least tori /torus exist as Nagendram Γ -semi sub near-field spaces which compact of Γ -near-field space over near-field N.

Note 1.6: Let N be a compact Nagendram Γ -semi sub near-field space of Γ -near-field space over near-field and g its algebras. The maximal tori of N are in one to one correspondence with maximal abelian its sub algebras of g.

Note 1.7: Let N be a torus $N = g/Z_N$ where Z_N is the integral lattice. Let Z_N^+ denote the weight lattice. For $X \in g$, { $\exp tX / t \in \mathbb{R}$ } = N if and only if $\eta(X) \neq 0$ for any $0 \neq \eta \in \mathbb{Z}_N$.

SECTION 2: Geometry of the Adjoint Representation.

Consider N = SO(3) we have seen that so(3) is the set of 3x3 skew – symmetric real matrices. For $w = (w_1, w_2, w_3) \in \mathbb{R}^3$

and
$$x \in \mathbb{R}^3$$
 define $w \times x = \begin{bmatrix} 0 & -w_3 & w_2 \\ w_3 & 0 & -w_1 \\ -w_2 & w_1 & 0 \end{bmatrix}$. For $A \in SO(3)$ we have $A(w \times x) = Aw \times Ax$. So,

consider
$$N = SO(3)$$
 we have seen that $SO(3)$ is the set of SXS skew – symmetric real matrices. For $W = (W_1, W_2, W_3) \in \mathbb{R}$ and $X \in \mathbb{R}^3$ define $W \times X = \begin{bmatrix} 0 & -w_3 & w_2 \\ w_3 & 0 & -w_1 \\ -w_2 & w_1 & 0 \end{bmatrix}$. For $A \in SO(3)$ we have $A (W \times X) = AW \times AX$. So,

$$(Aw) \times X = A \begin{bmatrix} 0 & -w_3 & w_2 \\ w_3 & 0 & -w_1 \\ -w_2 & w_1 & 0 \end{bmatrix} A^{-1} \times Thus, \text{ the map } \phi : \mathbb{R}^3 \to SO(3), \phi (w) = \begin{bmatrix} 0 & -w_3 & w_2 \\ w_3 & 0 & -w_1 \\ -w_2 & w_1 & 0 \end{bmatrix}$$
satisfies

 $\phi(AW) = A\phi(w)A^{-1} = Ad(A)\phi(w)$. Therefore the orbits of the action of SO(3) are 2 – spherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherospherosp Adjoint action of N on g given by $g \cdot X = Ad(g) X$.

If $xi \in g$ we have Ad(exp t ξ) $X = e^{t \operatorname{ad}(\xi)} X$ and so, denoting the induced vector field of this action by ξ_g we have $\xi_g(X)$ $=\frac{d}{dt}\Big|_{t=0}e^{t\,ad(\xi)}X=ad(\xi)X=|\xi,X|.$

Let use observe,
$$N_X = \{g \in N \mid Ad(g)X = X\}$$

 $gX = \{\xi \in g \mid |\xi, X| = 0\} = \ker \{ad(X) : g \to g\}$
 $S_x(N \cdot X) = \{\xi_M(X) \mid \xi \in g\} = \{|\xi, X| \mid \xi \in g\} = \operatorname{Im} \{ad(X) : g \to g\}.$

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Dr N V Nagendram* and Dr T V Pradeep Kumar/

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